

Python Programming @ The department of Computer Science



Floating Barge

Requirements

The Figure shows an open topped iron barge of length L , Breadth B and Height H . We can calculate the draft d of the barge (the proportion of H which is submerged) using Archimedes' Principle:

When a body is immersed in a liquid it displaces a volume of liquid equivalent to the mass of the body.

Assuming that the iron from which the barge is built weighs about 7.87 tonnes per m^3 , water weighs 1.00 tonnes per m^3 and that the iron is 0.01m thick, the calculation comprises three steps:

1. Calculate the volume of iron used in the construction of the barge using:

$$\text{Vol. (m}^3\text{)} = (L \times B \times H) - ((L - 0.02) \times (B - 0.02) \times (H - 0.02))$$

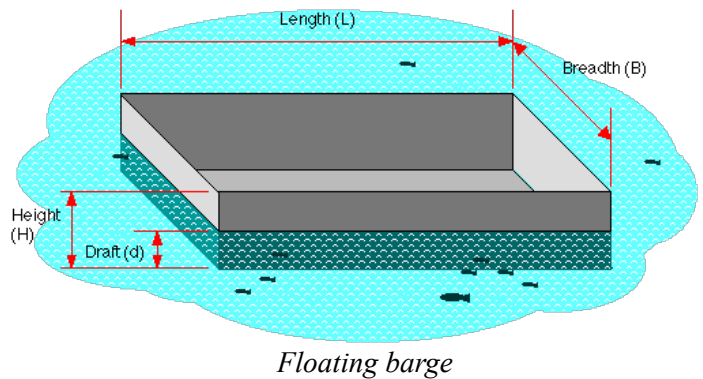
2. Calculate the mass (weight) of the barge (the iron used to construct it) using:

$$\text{mass (tonnes)} = \text{vol.} \times \text{dens. iron}$$

3. Calculate the draft using:

$$\text{draft (m)} = \frac{\text{mass}}{L \times B \times \text{dens. water}}$$

Create a Python programme that calculates the draft d of a barge given its length L , Breadth B and Height H .



Example

$$L=12.000\text{m}, B=6.000\text{m}, H=3.000\text{m}$$

$$\begin{aligned} \text{vol} &= (12.000 \times 6.000 \times 3.000) - \\ &\quad (11.080 \times 5.080 \times 2.090) \\ &= 216.000 - 214.205 = 1.795\text{m}^3 \end{aligned}$$

$$\text{mass} = 1.795 \times 7.780 = 13.967\text{tonnes}$$

$$\text{draft} = 13.967 / (16 \times 6 \times 1.000) = 0.194\text{m}$$

Note

By convention names used for constants (such as the weight of iron or water as featured in this exercise) are written in upper case.